

# What Determines an Appropriate Fit between Theory and Data?

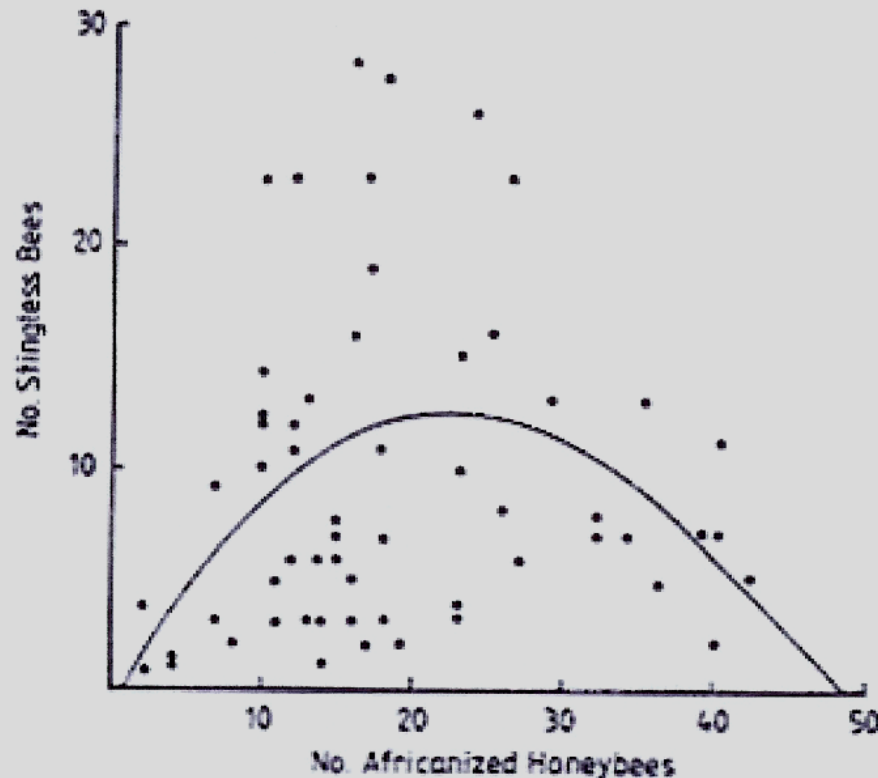


FIGURE 1. The relations of Africanized and stingless (meliponine) bee abundances on flowering *Melochia villosa*. The full line is a quadratic polynomial (given by  $y = -0.516 + 1.08x - 0.023x^2$ ) which gave the best fit to the points.

# Which is Correct, if Either ?

Journal of Heat Transfer

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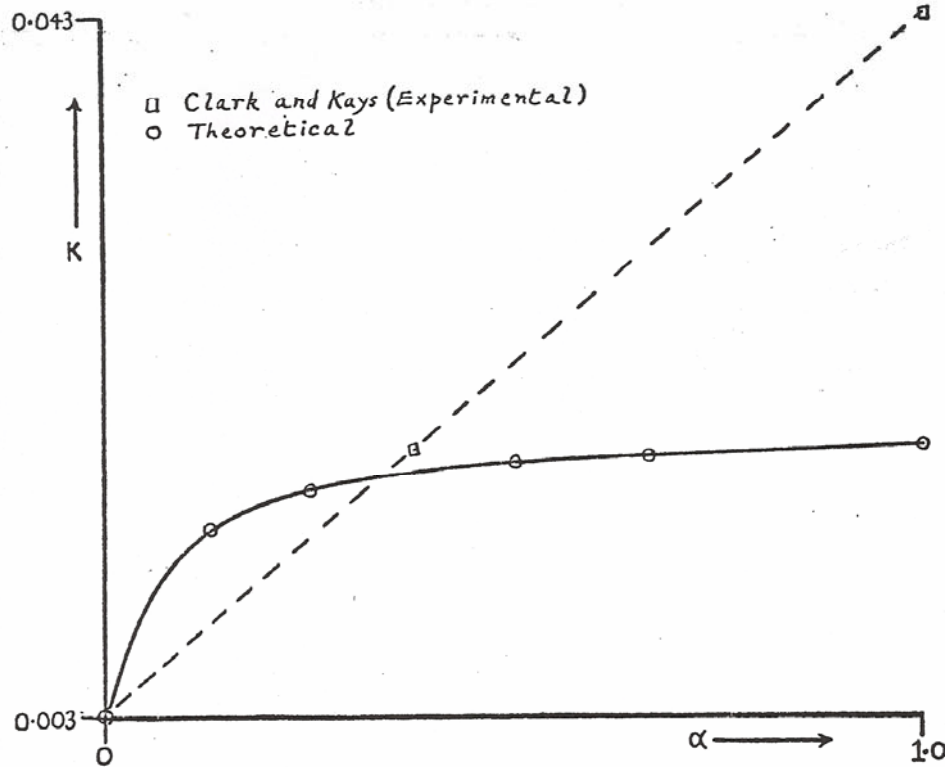


FIG. 1.  $K$  against aspect ratio for the case of constant wall temperature.

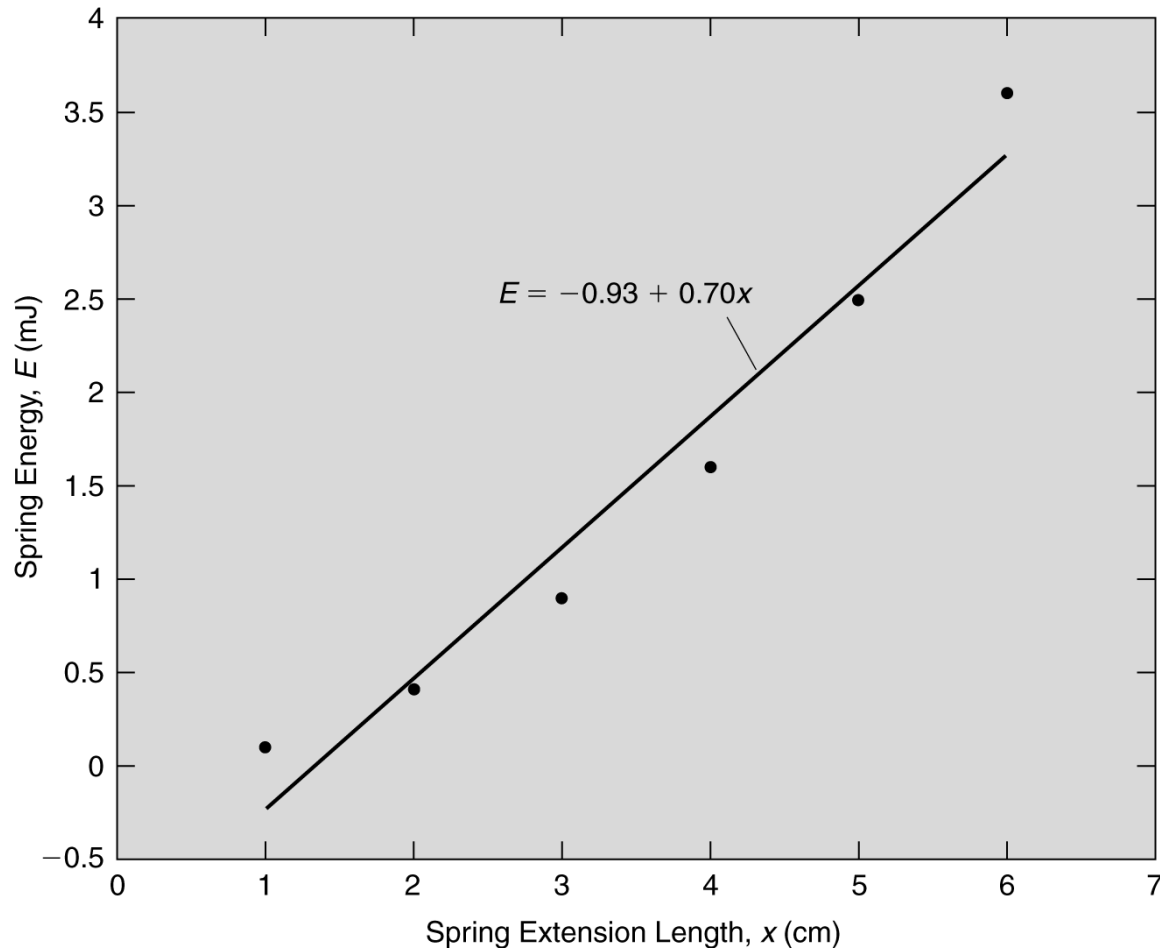
# Determining an Appropriate Fit

- To determine a 'fit' between two variables ( $x$  and  $y$ ), one must consider the *magnitudes of the uncertainties* in  $x$  and  $y$  ( $u_x$  and  $u_y$ ) and *the underlying physical model*.
- There are 6 possibilities to consider:

Case	$u_x$	$u_y$	Correct Fit
1			yes
2			no
3			yes
4			no
5			yes
6			no

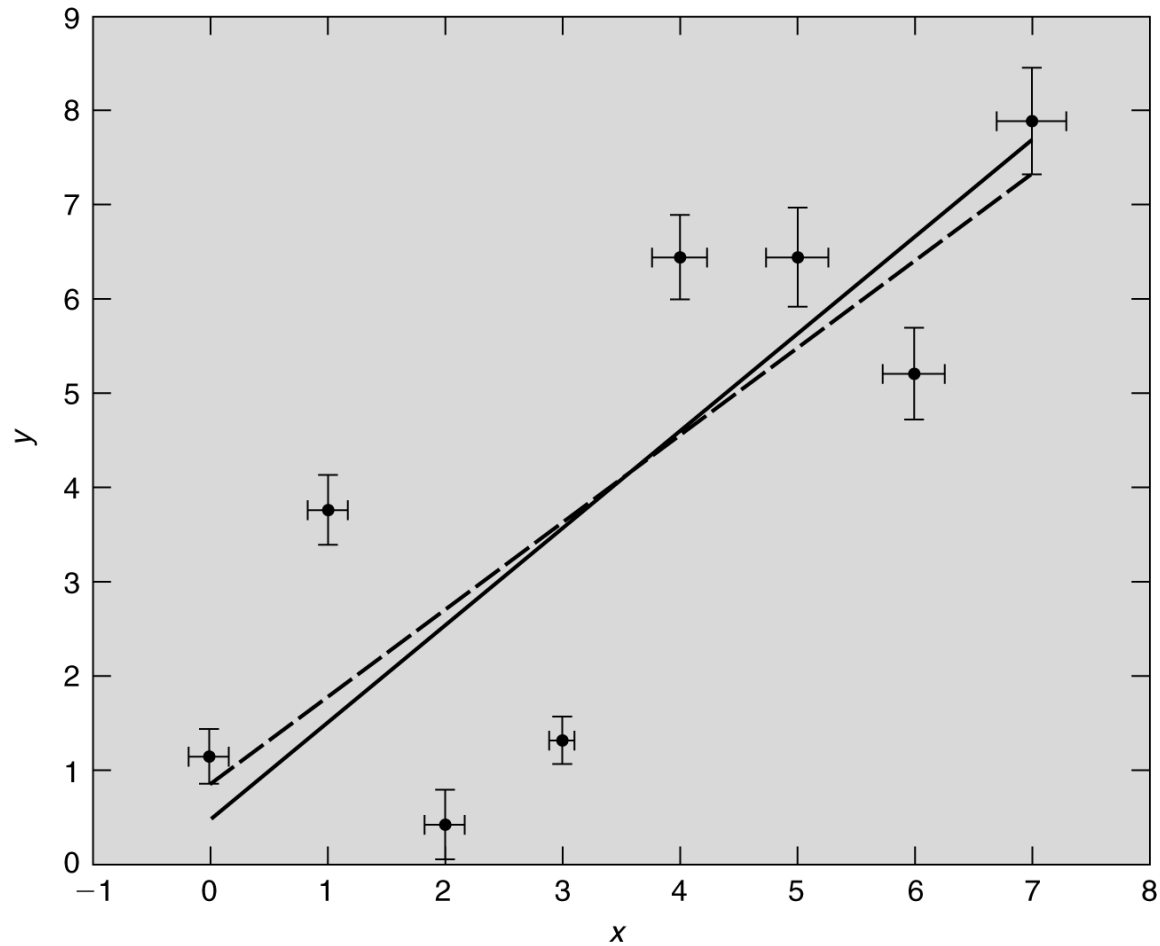
# Case 2

- $u_x=0$ ;  $u_y=0$ , incorrect fit
- correct model:  $E=0.5kx^2$



# Case 5

- $u_x \neq 0$ ;  $u_y \neq 0$ , correct fit



# Case 5

- when  $\sigma_x^2/\sigma_y^2=\lambda$  is known

$P = 95\%$ ;  $N = 8$ ;  $\lambda = 0.25$ ;  $ux_{\text{final}} = \pm 2.0492$ ;  $uy_{\text{final}} = \pm 4.0985$

