



## CHAPTER 2

### Exercise 1

The decimal integers for all 3-bit binary integers are given below.

3-bit Binary Integer	Decimal Integer
000	0
001	1
010	2
011	3

100	4
101	5
110	6
111	7

### Exercise 2

The decimal value of 111011.01111 is given below.

$$\begin{aligned}
 &1 \times 2^5 + 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0 + 0 \times 2^{-1} + 1 \times 2^{-2} + 1 \times 2^{-3} + 1 \\
 &\quad \times 2^{-4} + 1 \times 2^{-5} \\
 &= 32 + 16 + 8 + 0 + 2 + 1 + 0 + 0.25 + 0.125 + 0.0625 + 0.03125 \\
 &= 59.46875
 \end{aligned}$$

### Exercise 3

$$12.34 - 2^3 = 4.34$$

$$4.34 - 2^2 = 0.34$$

$$0.34 - 2^{-2} = 0.09$$

The binary number is 1100.01.

### Exercise 4

$$12 \div 2 = 6 \text{ with the remainder } 0$$

$$6 \div 2 = 3 \text{ with the remainder } 0$$

$$3 \div 2 = 1 \text{ with the remainder } 1$$

$$1 \div 2 = 0 \text{ with the remainder } 1$$

The binary integer is 1100.

$$0.34 \times 2 = 0.68$$

$$0.68 \times 2 = 1.36.$$

The binary number is 0.01. Hence, the entire binary value is 1100.01.

### **Exercise 5**

The signed magnitude representation of -12 is 10001100.

The signed magnitude representation of 12 is 00001100.

### **Exercise 6**

One's complement representation of -12 is 11110011.

One's complement representation of 12 is 00001100.

### **Exercise 7**

Two's complement representation of -12 is 11110100.

Two's complement representation of 12 is 00001100.

### **Exercise 8**

00010111 – 00001001 is performed using one's complement method as follows.

$$\begin{array}{r} 00010111 \\ + 11110110 \\ \hline = 100001101 \end{array}$$

The end carry-around is performed as follows.

$$\begin{array}{r}
 00001101 \\
 + \quad \quad 1 \\
 \hline
 = 00001110
 \end{array}$$

The result is 00001110 or 14.

### Exercise 9

00001001 – 00010111 is performed using one's complement method as follows.

$$\begin{array}{r}
 00001001 \\
 + 11101000 \\
 \hline
 = 11110001
 \end{array}$$

There is no end carry-around. The result is 11110001 or – 14.

### Exercise 10

00010111 – 00001001 is performed using two's complement method as follows.

$$\begin{array}{r}
 00010111 \\
 + 11110111 \\
 \hline
 = 100001110
 \end{array}$$

After discarding the carry-out, the result is 00001110 or 14.

### Exercise 11

00001001 – 00010111 is performed using two's complement method as follows.

$$\begin{array}{r}
 00001001 \\
 + 11101001 \\
 \hline
 \end{array}$$

$$= 11110010.$$

The result is 11110010 or  $-14$ .

### Exercise 12

$$m + k + 1 \leq 2^k$$

$$8 + k + 1 \leq 2^k$$

$$k + 9 \leq 2^k$$

$k$  can be any integer equal to or greater than 4. Let  $k = 4$ , that is, we can use 4 check bits.

### Exercise 13

Based on the result from Exercise 12, we use 4 check bits. Hence, there are 12 bits including 8 data bits and 4 check bits. The Hamming algorithm is carried out as follows.

Bit position	12	11	10	9	8	7	6	5	4	3	2	1
Value												

The check bits are at bit positions 1, 2, 4, and 8. We write down each bit position as the sum of numbers that are powers of 2 as follows.

$$1 = 1$$

$$2 = 2$$

$$3 = 1 + 2$$

$$4 = 4$$

$$5 = 1 + 4$$

$$6 = 2 + 4$$

$$7 = 1 + 2 + 4$$

$$8 = 8$$

$$9 = 1 + 8$$

$$10 = 2 + 8$$

$$11 = 1 + 2 + 8$$

$$12 = 4 + 8$$

Hence, the check bit at position 1 contributes to bit positions 1, 3, 5, 7, 9, 11. The check bit at position 2 contributes to bit positions 2, 3, 6, 7, 10, 11. The check bit at position 4 contributes to bit positions 4, 5, 6, 7, 12. The check bit at position 8 contributes to bit positions 8, 9, 10, 11, 12. We fill in the data bits 01001011 into bit positions 11, 10, 9, 7, 6 5 and 3 with We now compute the value of each check bit using the even parity.

Bit position	12	11	10	9	8	7	6	5	4	3	2	1
Value	0	1	0	0	1	1	0	1	0	1	1	0

The Hamming code is 010011010110.

#### Exercise 14

For the Hamming code 010111010110 based on the even parity, we find:

- 1 bit error at bit positions 1, 3, 5, 7, 9, 11 using check bit at bit position 1
- No bit error at bit positions 2, 3, 6, 7, 10, 11 using check bit at bit position 2
- No bit error at bit positions 4, 5, 6, 7, 12 using check bit at bit position 4

- 1 bit error at bit positions 8, 9, 10, 11, 12 using check bit at bit position 8.

Hence, one bit error occurs at the bit position  $1 + 9 = 9$ . The Hamming code is corrected to 010011010110.

## **CHAPTER 3**

The round-robin is commonly used to schedule processes/threads on computers.

Pros:

- It gives each process/thread a turn to use CPU with an equal amount of time so that no processes/threads wait too long to be served.
- It is easily implemented.

Cons:

- More processes/threads will result in more waiting time of each process/thread before its turn of using CPU.
- No priority of processes/threads is considered.
- The equal share of CPU time can be exploited by denial of service attacks.

## **Exercise 2**

If a data file is stored entirely on a single block of memory or storage space, the block of memory or storage space left after a data file is deleted may not be usable for another data file of a different size, resulting in unused memory or storage space. Breaking a data file into pages of standard size maximized the use of memory or storage space by allowing a page of any data file